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**FIT OF EXPERIMENTAL POINTS
TO THE SUM OF TWO (OR ONE)
EXPONENTIALS WITH BACKGROUND
PROGRAM FOR ODRA 1305 COMPUTER
PART II**

**For Time Analysers with Constant Dead Time
after Each Registered Pulse (AC-256 Type)**

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WYRÓWNIWANIE PUNKTÓW DOŚWIADCZALNYCH DO SUMY
DWÓCH (LUB JEDNEJ) EKSPONENT Z TŁEM

PROGRAM DLA E.M.C. ODRA 1305

Część II: Dla analizatorów czasu ze stałym czasem
martwym po każdym zarejestrowanym impulsie
(typu AC-256)

УРАВНИВАНИЕ ЭКСПЕРИМЕНТАЛЬНЫХ ТОЧЕК СУММОЙ ДВУХ
(ИЛИ ОДНОЙ) ЭКСПОНЕНЦИАЛЬНЫХ ФУНКЦИЙ С ФОНОМ

ПРОГРАММА ДЛЯ ВЫЧИСЛИТЕЛЬНОЙ МАШИНЫ ODRA 1305

Часть II: Для анализаторов времени с постоянным мерт-
вым временем после каждого зарегистрированного
импульса (типа AC-256)

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~~ABSTRACT~~

The LAMA program (in FORTRAN 1900 language), which fits the set of decaying experimental values to the sum of the two (or one) exponentials with background, is described. The method of calculation and its accuracy and the interpretation of the program results are given in Part I of the paper. The changes and the extensions of the calculation, referred to the dead time effect taken into account for time analysers having the constant dead time after each registered pulse, are described. (a) (b) (c)

STRESZCZENIE

W artykule przedstawiono program (napisany w języku FORTRAN 1900) dopasowujący funkcję zawierającą dwie lub jedną eksponentę i składową stałą do ciągu malejących wartości doświadczalnych. Metoda obliczeniowa, jej dokładność oraz interpretacja wyników programu zostały zaprezentowane w Części I artykułu. Tu opisano zmiany i uzupełnienia wprowadzone w związku z uwzględnieniem wpływu czasu martwego analizatorów czasu o stałym czasie martwym po każdym rejestrowanym impulsie.

RESUME

В статье представлена программа (на языке FORTRAN 1900), которая уравнивает кривую сложённую из двух или одной экспоненциальной функции и константы к последовательности уменьшающихся экспериментальных величин. Вычислительный метод, его точность и способ интерпретации результатов программы представлены в Части I. Здесь описаны добавления и изменения программы относящиеся к многоканальным анализаторам времени, в которых мертвое время постоянно после каждого регистрируемого импульса.

1. INTRODUCTION

The LAMA program fits the experimental data to the one exponential with background or to the sum of two exponentials with background, using the very same method as that presented in the description of the MISZY program [1], but with taking into account the dead time effect for some other kind of the multichannel time analysers. In the LAMA program the count-loss correction due to the dead time is referred to the analysers having the constant dead time after each registered pulse. In such analysers the pulse arriving at the input is at once stored in the analyser memory and the time of this operation is just the dead time τ_d of analyser. The count-loss correction must be introduced to obtain the correct values λ^c of decay constants in this case. This correction depends upon the ratio of the dead time τ_d to the width of the time channel Δt [2] (the LAMA program can be used for any integer - in microseconds - values of τ_d and Δt). Thus, the structure of the program is the completely new one.

In this part the formulae, which are new or different from those in Part I of this paper [1], will be presented. The symbols of quantities used here are the same as in [1]. The equations being taken from Part I will be marked as (No/I).

The fit for the case of the sum of two exponentials with a constant component will be shortly denoted as 2EXP+C and for the one exponential with background - as 1EXP+C.

2. CHANGES IN THE METHOD OF CALCULATION

2.1. Correction for dead time of analyser

The form of the correction in the case of analysers, having the constant dead time after each registered pulse, is different depending upon whether or not the value of the ratio of the analyser dead time τ_d to the width Δt of time channel is greater than one.

For $\frac{\tau_d}{\Delta t} \geq 1$ the formula for the corrected number of counts N_i^c in the i -th channel of time analyser*) is given by [3, 2]:

$$N_i^c = -S \ln\left(1 - \frac{N_i}{S - K_i}\right) \quad (1)$$

where

S - number of runs of analyser,
 N_i - uncorrected (i.e. stored during the measurement)
 number of counts in i -th channel of time analyser,

$$K_i = \sum_{j=i-r}^{i-1} N_j + \left(\frac{\tau_d}{\Delta t} - r\right) N_{i-r-1} \quad (2)$$

where

$$r = C\left(\frac{\tau_d}{\Delta t}\right) - \text{max. integer}^{**}) \quad (3)$$

One can see from (1) and (2) that the corrected N_i^c values are obtained starting with the channel No $r+1$ or $r+2$.

For $\frac{\tau_d}{\Delta t} < 1$ the value of the N_i^c is calculated [2] as:

$$N_i^c = -S p_x \ln v_{0i} \quad (4)$$

where

p_x follows from the ratio $\frac{\tau_d}{\Delta t} = \frac{q_x}{p_x}$, where q_x and p_x

*) The superscript c at a symbol signifies the corrected value i.e. the value with the correction for the dead time of analyser taken into account.

**) $C(x) = r$: $r \leq x < r+1$, where x is real and r is integer.

are numbers which have not the common divisor,
 v_0 : - real root of equation:

$$v^{p_r} + \frac{N_{1-1}}{S - N_{1-1}} v^{p_r - q_r} - \frac{S - N_1}{S - N_{1-1}} = 0 \quad (5)$$

$$0 < v_0 < 1 \quad .$$

The values of the corrected decay constants λ_j^c , amplitudes of exponentials α_j^c and background α_0^c are calculated utilizing the dependences described in [1] but using the corrected numbers of counts N_1^c instead of the N_1 counts.

2.2. Standard deviations

The standard deviation $\sigma(\lambda^c)$ of the calculated corrected decay constant λ^c was obtained by the variance method. A general relation for the λ^c value calculated with the Cornell's method (see Eq. (3/I) and (11/I)) is given by:

$$\lambda^c = - \frac{1}{R \Delta t} \ln x^c \quad , \quad (6)$$

where for 2EXP+C it is λ_j^c and x_j^c with $j=1,2$. The quantity x^c is a function of the sums S_q^c :

$$x^c = x^c(S_1^c, S_2^c, \dots, S_p^c) \quad . \quad (7)$$

For 2EXP+C the x_j^c are given as the roots of the quadratic equation (4/I). For 1EXP+C the x^c is given by the formula (12/I). The S_q^c values are calculated from the formulae:

$$S_q^c = \sum_{i=(q-1)n+1_0}^{qn-1+1_0} N_1^c, \quad (8)$$

$q = 1, 2, \dots, P$

where

$$P = \begin{cases} 5 & \text{for } 2\text{EIP+C,} \\ 3 & \text{for } 1\text{EIP+C,} \end{cases}$$

- n - number of components N_i^c in each sum S_q^c (see Eq. (2/I)),
- 1_0 - number of the analyser channel which is the first channel of analysed time interval (the 2EIP+C or 1EIP+C fit is performed in the finite time interval of a constant length and at the beginning in the channel No 1_0 , varying with a constant step - see paragraph 3.1 in [1]),

$$N_1^c = N_1^0(N_{1-r_1}; N_{1-r_1+1}, \dots, N_{1-1}, N_1) \quad (9)$$

where the form of the above function (9) for the corrected number of counts N_1^c depends upon the ratio $\frac{\tau_d}{\Delta t}$ (see Eqs. (1,4)) and the r_1 value is defined as:

$$r_1 = \begin{cases} r & \text{for } \frac{\tau_d}{\Delta t} - r = 0, \\ r+1 & \text{for } \frac{\tau_d}{\Delta t} - r > 0, \end{cases} \quad (10)$$

(r is given by Eq. (3)).

The variance $V(\lambda^c)$ of the corrected decay constant λ^c calculated from Eq. (6) is given by:

$$V(\lambda^c) = \sum_{q=1}^P \left(\frac{\partial \lambda^c}{\partial S_q^c} \right)^2 V(S_q^c) + 2 \sum_{q=1}^P \sum_{t=q+1}^P \frac{\partial \lambda^c}{\partial S_q^c} \frac{\partial \lambda^c}{\partial S_t^c} \text{Cov}(S_q^c, S_t^c), \quad (11)$$

where derivatives are calculated in the point determined by the values of sums $S_q^c : S_1^c, S_2^c, \dots, S_p^c$. The form of the Eq.(11) is valid for the decay constant λ^c for 2EXP+C and for 1EXP+C as well, and it is independent upon the r value. But the relations determining the respective terms in Eq.(11) are different in these two cases. It is illustrated in Fig.1, where the scheme for the four possible ways of the calculation is given.

The derivatives $\frac{\partial \lambda^c}{\partial S_q^c}$ in Eq.(11) are given by:

$$\frac{\partial \lambda^c}{\partial S_q^c} = - \frac{1}{n \Delta t} \frac{1}{r^c} \frac{\partial r^c}{\partial S_q^c}, \quad (12)$$

$q = 1, 2, \dots, P.$

The formulae which determined the derivatives $\frac{\partial r^c}{\partial S_q^c}$ depending upon 2EXP+C or 1EXP+C are given in the Appendix in [1].

The forms of the formulae for the variances $V(S_q^c)$ and covariances $\text{Cov}(S_q^c, S_t^c)$ of the sums S_q^c are dependent upon the ratio $\frac{\tau_d}{\Delta t}$. The assumption $n > r_1$ was accepted (it is easy to realise) and then $\text{Cov}(S_q^c, S_t^c) = 0$ for $q-t > 1$, i.e. $\text{Cov}(S_q^c, S_{q+1}^c)$ remains only.

Thus, in the case $\frac{\tau_d}{\Delta t} \geq 1$ the relations for the variances $V(S_q^c)$ and covariances $\text{Cov}(S_q^c, S_{q+1}^c)$ are given by:

$$V(S_q^c) = \frac{qn-1+i_0}{k+(q-1)n-r_1+i_0} \left(\sum_{i=1}^{k+r} z_i \right)^2 V(N_k), \quad (13)$$

$$q = 1, 2, \dots, P$$

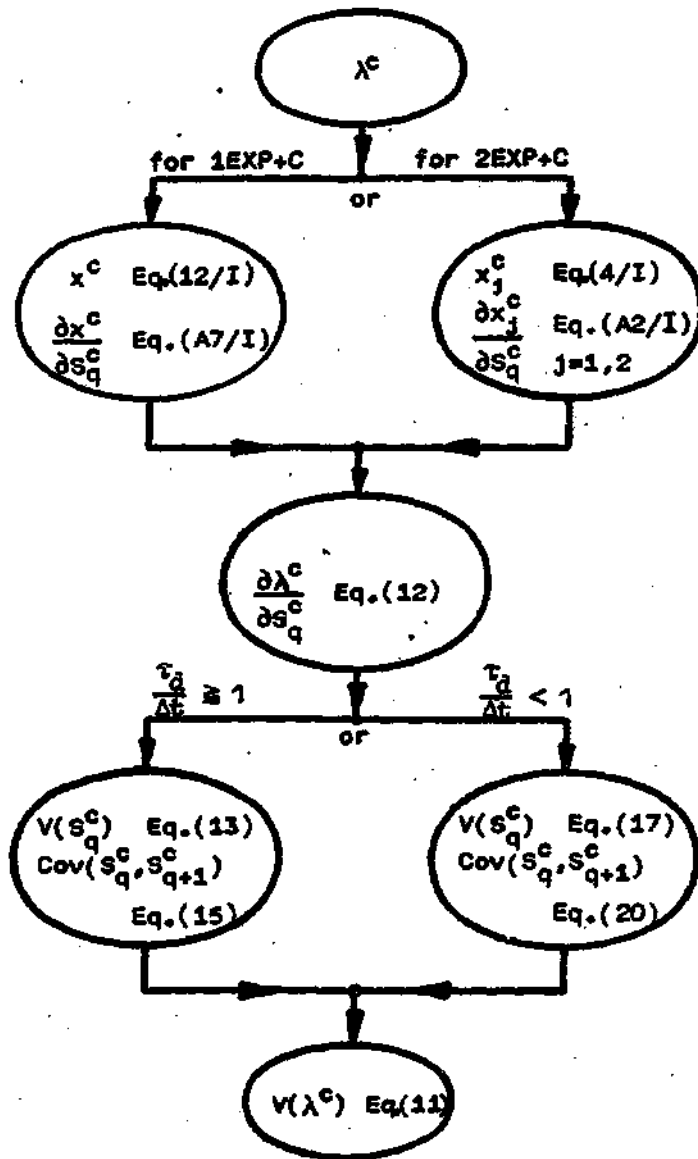


Fig.1. Scheme of different ways for calculation the variance $V(\lambda^c)$.

where

$$Z_i = \begin{cases} \frac{\partial N_i^c}{\partial N_k} & \text{for } (q-1)n+i_0 \leq i \leq qn-1+i_0, \\ 0 & \text{for } i < (q-1)n+i_0 \text{ or } i > qn-1+i_0, \end{cases} \quad (14)$$

$$V(N_i) = N_i.$$

$$\text{Cov}(S_q^c, S_{q+1}^c) = \sum_{k=qn-r_1+i_0}^{qn-1+i_0} \left(\sum_{i=k}^{qn-1+i_0} Z_i \sum_{i=qn+i_0}^{k+r_1} Z_i \right) V(N_k), \quad (15)$$

$$q = 1, 2, \dots, (p-1)$$

where

$$Z_i = \frac{\partial N_i^c}{\partial N_k}. \quad (16)$$

In the case $\frac{\tau_q}{\Delta t} < 1$ the relations for the variances and covariances are:

$$V(S_q^c) = \sum_{k=(q-1)n-1}^{qn-1} (W_k + Z_{k+1})^2 V(N_k), \quad (17)$$

$$q = 1, 2, \dots, p$$

where:

$$W_k = \begin{cases} 0 & \text{for } k = (q-1)n-1, \\ \frac{\partial N_k^c}{\partial N_k} & \text{for } k > (q-1)n-1; \end{cases} \quad (18)$$

$$Z_{k+1} = \begin{cases} \frac{\partial N_{k+1}^c}{\partial N_k} & \text{for } k < qn-1, \\ 0 & \text{for } k = qn-1. \end{cases} \quad (19)$$

$$\text{Cov}(S_q^c, S_{q+1}^c) = \left(\frac{\partial N_{qn-1}^c}{\partial N_{qn-1}} \right) \left(\frac{\partial N_{qn}^c}{\partial N_{qn-1}} \right) V(N_{qn-1}) \quad (20)$$

$$q = 1, 2, \dots, (p-1).$$

The formulae for the derivatives $\frac{\partial N_k^c}{\partial N_k}$ for both cases of $\frac{\tau_d}{\Delta t}$ are given in the Appendix.

2.3. Mean of the decay constant

In the fitting procedure for the one exponential with background the λ_i^c values obtained for the i -th consecutive steps of the delay time have the same expectation value (of paragraph 3.1 in [1]). The estimator λ^c of this expected value is thus obtained as the weighted mean:

$$\lambda^c = \frac{\sum_{i=1}^N w_i \lambda_i^c}{\sum_{i=1}^N w_i}, \quad (21)$$

where

λ_i^0 - value of decay constant obtained for i -th value of delay time,

w_i - weight of the λ_i^0 value: $w_i = 1/\sigma^2(\lambda_i^0)$,

$\sigma(\lambda_i^0)$ - standard deviation of λ_i^0 value,

N - total number of λ_i^0 values.

The unbiased estimator $s^2(\lambda^0)$ of the variance $\sigma^2(\lambda^0)$, when the weights are present, is:

$$s^2(\lambda^0) = \frac{\sum_{i=1}^N w_i}{\left(\sum_{i=1}^N w_i\right)^2 - \sum_{i=1}^N w_i^2} \sum_{i=1}^N w_i (\lambda_i^0 - \bar{\lambda}^0)^2. \quad (22)$$

3. PROGRAM OF CALCULATION

3.1. Description of the program

The calculation method used in the LAMA program is, in general, the same as that in the MYSZY program and the previous remarks [1] concerned with the accuracy of the method and with the interpretation of results can be referred to this case, too. But the substantial changes (due to the adaptation to the other type of time analysers), extensions and facilities are introduced. The LAMA program performs the fit of experimental points to the sum of the two exponentials with background and to the one exponential with background. The following values are obtained in function of delay time as the results of the program: decay constants, of exponentials (from 2EXP+C and 1EXP+C fitting) with their standard deviations, the amplitudes of exponentials and the background; the count-loss correction

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1EXP+C

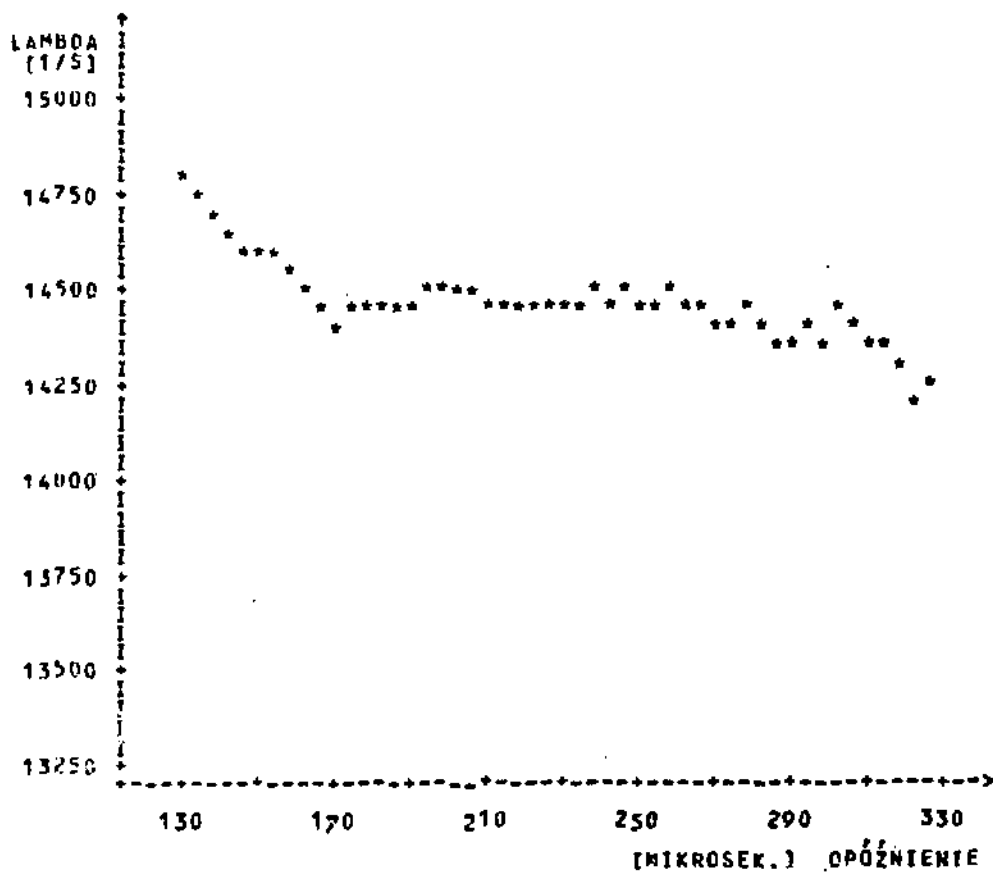


Fig.2. Plot of the decay constant vs delay time.

for time analysers, having the constant dead time after each registered pulse, is taken into account in the computation. The above mentioned values arising from the uncorrected data are computed, too, but without their standard deviations because the uncorrected results are auxiliary only in the interpretation of the final results.

The rough plot of the decay constant vs delay time is printed on the line printer. The typical plot is shown in Fig. 2, where the interval of the statistically constant values of the decay constant can be seen (the higher values, which are visible in the initial part of the plot, are due to the fact that the $1EXP+0$ model is inadequate in this range). The mean of the decay constant is calculated many times - from the successive λ_1^0 value to the last one and it is easy to choose the right value of this mean by the comparison of the successive results and the plot.

In the main sequence of the program statements there are the relations for computing the values of some quantities being used in the further computation many times. Next there are the logical statements controlling the choice of computational ways and the statements calling the proper subroutines which perform the particular computations. For making clear the description of the program the list of these subroutines will be given first (Table 1), together with the short presentation of the results reached by each one.

The block diagram of the LAMA program is given in Fig.3. This general scheme of the program is very simple and it is not necessary to describe it; some short explanations will be only given.

The program runs using the PTRAP subroutine (see Table 1) and for this reason a non-fatal execution error, which can arrive, does not stop the computer work and the program can be continued (the information about the error is printed).

In the part denoted by "overflow" the value of the control variable NAD (see the NADM subroutine) is tested; if $NAD=1$

Table 1. List of subroutines

subroutine	result	formula () or reference []
BLAMBDA	decay constant λ	(11/I), (6)
COND	matrices being used in calculation of variances $V(S_q^c)$ and covariances $Cov(S_q^c, S_{q+1}^c)$ for the case $\frac{\tau_d}{\Delta t} \geq 1$	(14), (16) (A1) + (A5)
DANE	print of the input matrix of numbers of counts N_i	
DRUK DRUK1 DRUKDO DRUKLPT	print of the results of calculation in tabular form	
F4BAIRSTOW	roots of polynomial with real coefficients	[4]
FTRAP	subroutine used to attach an own source monitoring program	[5]
INARRAY	translation of the data given in the odd code on the punched tape for ODRA 1305 computer	[6]
LALF2	decay constants λ_j (using the BLAMBDA function), amplitudes α_j and background α_0 - $j=1,2$ - for $2EXP+C$; if $x_j \leq 0$ (for $j=1$ or $j=2$) then the λ_j value is assumed to be equal to zero	(3/I), (7/I), (8/I), (9/I)
LAMSR	weighted mean of decay constant with standard deviation for $1EXP+C$	(21), (22)

Table 1 (continued)

subroutine	result	formula () or reference []
NADM	own source monitoring program: if a non-fatal execution error arrives in computation the NADM subr. (called then by the PTRAP subr.) assigns the number 1 to the control variable NAD; the number of the error is printed, too.	
SQQ	sums S_q	(2/I), (8)
VARLAM	standard deviations $\sigma(\lambda^c) = \sqrt{V\lambda^c}$	(11)
VARSA	variances $V(S_q^c)$ and covariances $Cov(S_q^c, S_{q+1}^c)$ for the case $\frac{\tau_d}{\Delta t} \geq 1$ (using the COND subroutine)	(13), (15)
VARSQB	variances $V(S_q^c)$ and covariances $Cov(S_q^c, S_{q+1}^c)$ for the case $\frac{\tau_d}{\Delta t} < 1$	(17), (20)
WYKRES	print of the plot of decay constant λ^c vs delay time (for 1EXP+C)	
KLALF	decay constant λ (using the BLAMBDA subr.), amplitude α and background α_0 for 1EXP+C; if $x \leq 0$ then the λ value is assumed to be equal to zero	(11/I), (13/I) (14/I), (6)
XI	roots x_j ($j=1,2$) of Eq. (4/I)	

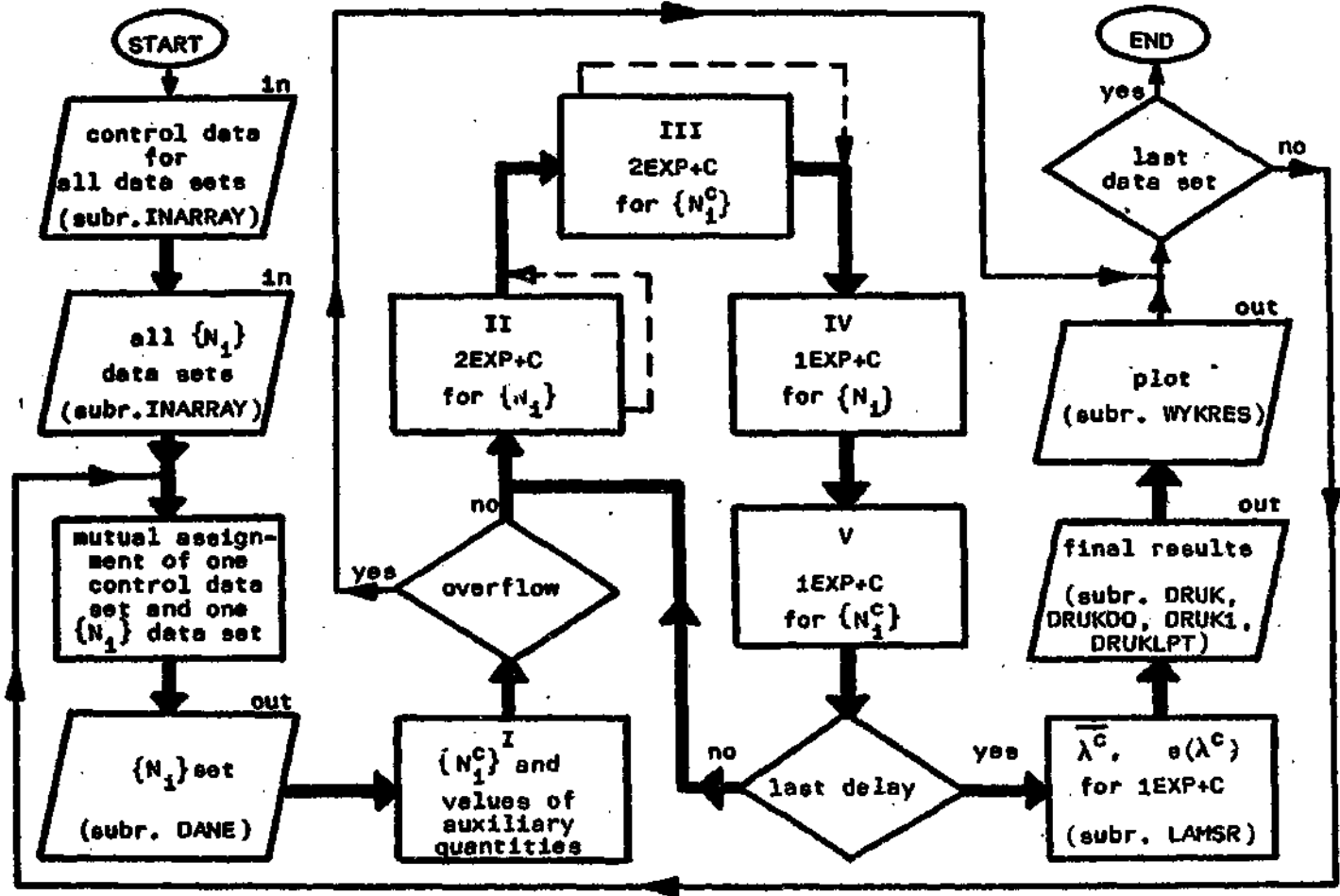


Fig.3. Block diagram of the LAMA program.

- due to some mistakes in the input data - all subsequent calculations for this data set are omitted.

The particular diagrams of the blocks marked with the Roman numbers and of the computational ways denoted with the broken lines are presented in Figs.4, 5, 6, 7.

The final results of the calculation for a consecutive value of the delay time are rounded off to the integers and stored in the matrices; after the computation is finished for the one data set these matrices contain the values of the required quantities in function of the delay time and they are printed in the tables. Then the program is repeated for the next data set.

In the current version of the LAMA program the matrices referred to the one N_1 input data set can contain up to 256 elements and the matrices of the final results - up to 50 elements (as the 50 values for the consecutive values of delay time). The dimensions of these matrices can be easily increased in the proper specification statements.

3.2. Input and output data

The input data for the LAMA program have to be prepared on the punched tape in the odd code in IØ format with the comma as the separator (of paragraph 3.1 in [1]). The specification of the input data is given in Table 2.

The quantities which values are the results of the program were mentioned in the beginning of the description of the program (paragraph 3.1) and the example of the one page of output data is shown in Fig.8.

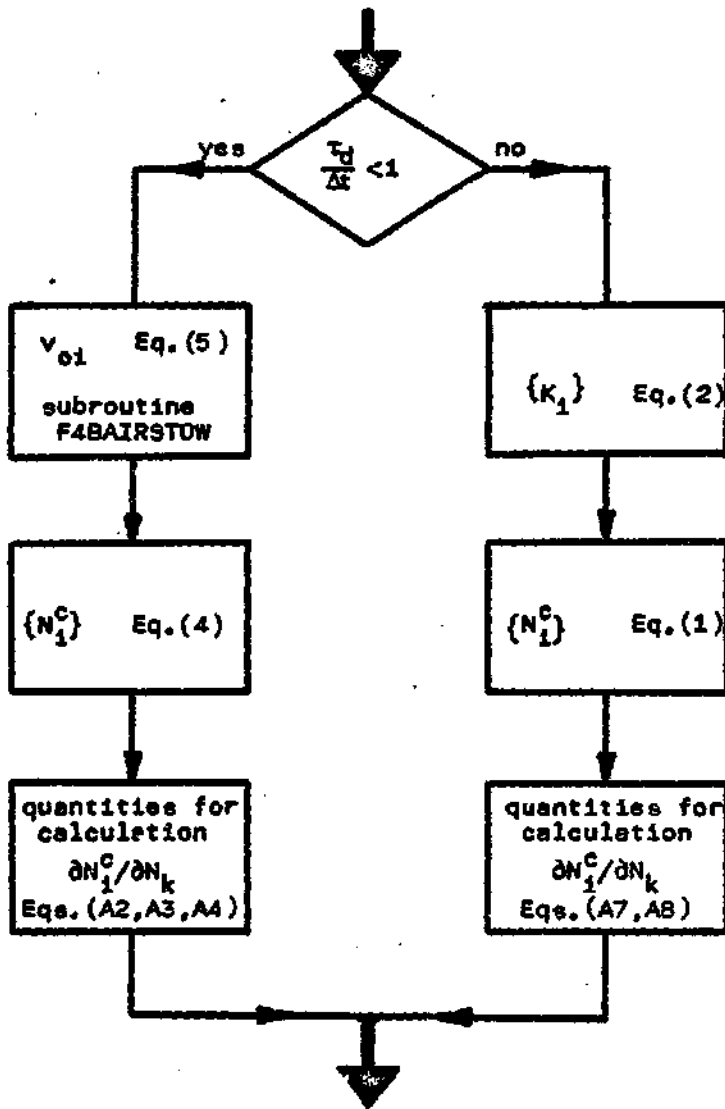


Fig.4. Diagram of the block I of the LAMA program.

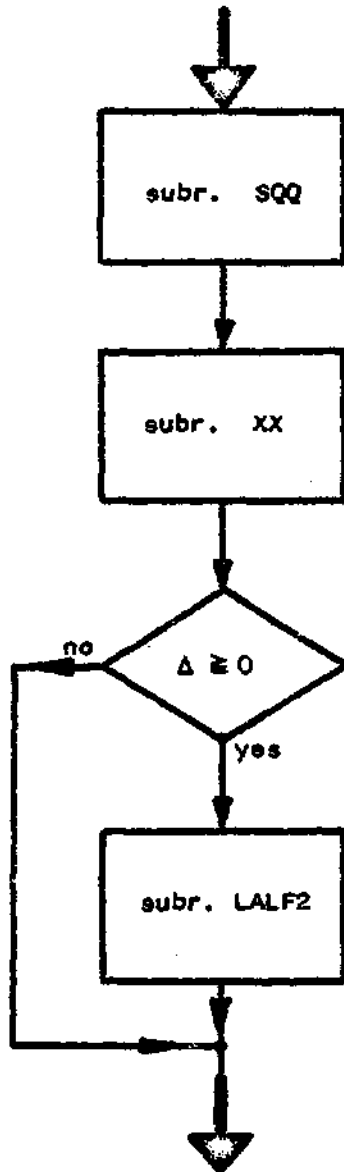


Fig.5. Diagram of the block II of the LAMA program.

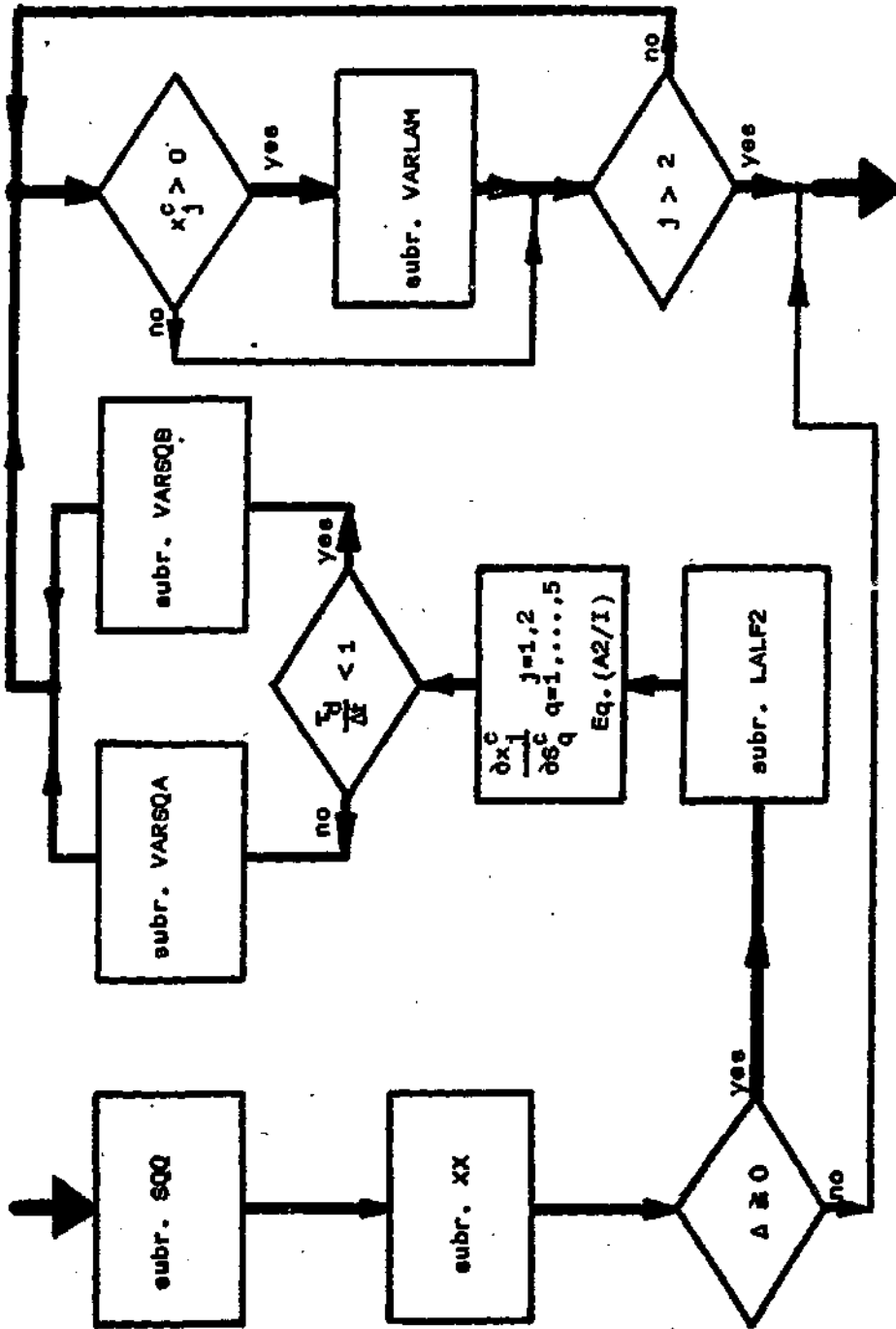


Fig.6. Diagram of the block III of the LAMA program.

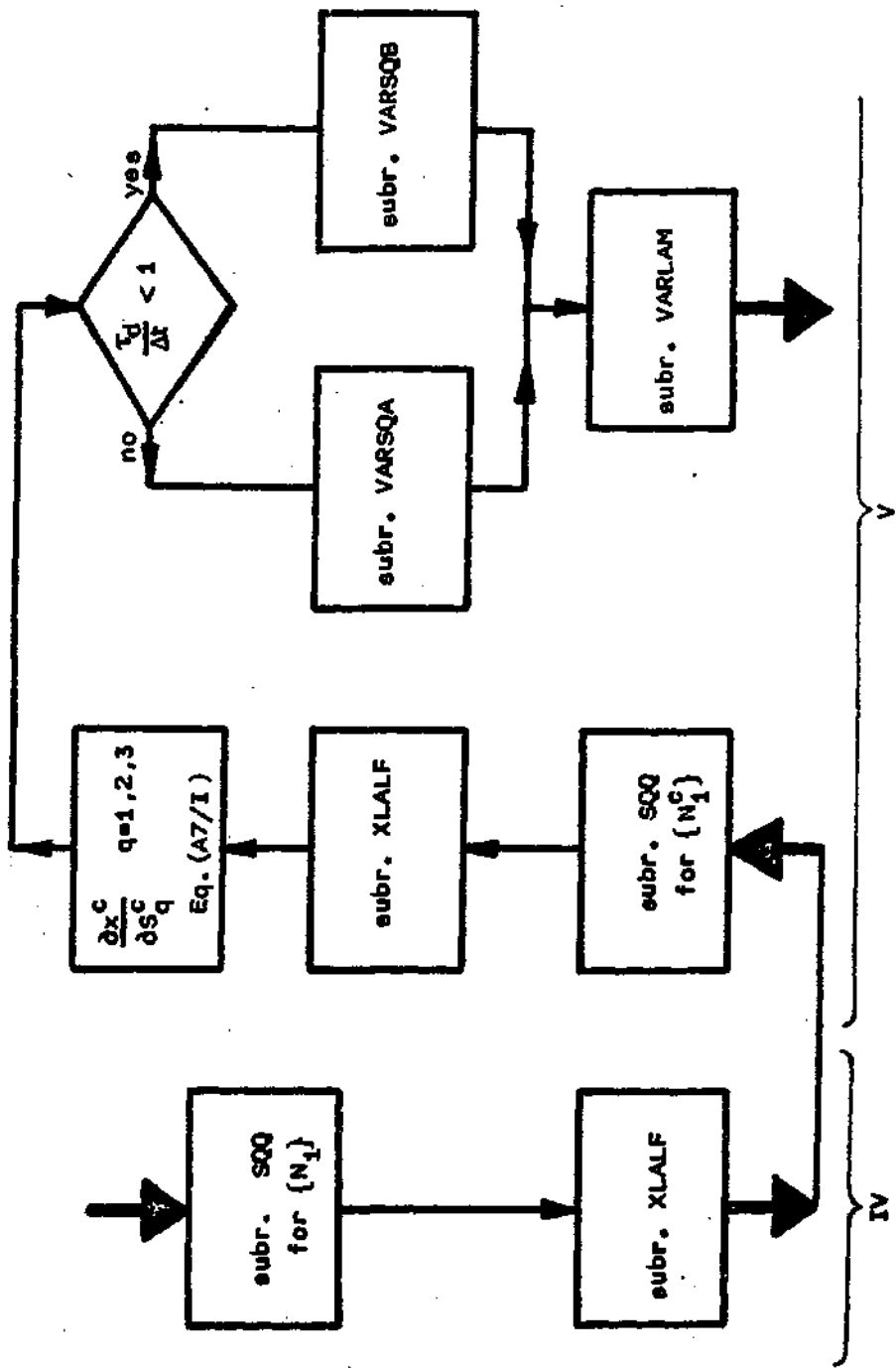


FIG. 7. Diagram of the blocks IV and V of the LAMA program.

Table 2. Specification of the input data

No	Variable	Symbol in the program	Notes
I	number of data sets	LKD	It must be equal to the number of data sets taken really into account for the calculation and $LKD \leq 50$.
	about 15 spaces		
II	LKD sets of control data with the following structure of each one:		
1	number of measurement	NR	$NR \leq 9999$
2	number of the part of analyser memory	NR1	$NR1 \leq 9$
3	number of elements to be read from punched tape from analyser	LRN	$LRN_1 \leq 256$ (see paragraph 3.1) LKD $\sum_{l=1}^E LRN_l \leq 6400$
4	width of the time channel [in microseconds]	MDELTP	

Table 2 (continued)

No	Variable	Symbol in the PROGRAM	Notes
5	delay time of the start pulse for time analyser [in microseconds]	MTOS	
6	delay of the first group of time analyser from the start pulse [number from AC-256 analyser]	MTOA	*)
7	number of the channel taken as the first one for the calculation	NRKØ	$NRKØ > \begin{cases} \frac{T_d}{\Delta t} & \text{if } M(\frac{T_d}{\Delta t}) = 0 \\ C(\frac{T_d}{\Delta t}) + 1 & \text{if } M(\frac{T_d}{\Delta t}) > 0 \end{cases} \quad **), a)$ <p>(if the NRKØ is too small the minimum possible value of it is assumed by the program)</p>
8	constant step of delay time [as the number of channels]	MSOP	MSOP > 0
9	number of the steps of delay time	LSOP	0 ≤ LSOP ≤ 49 (for LSOP > 49 the program assumes LSOP = 49)

Table 2 (continued)

No	Variable	Symbol in the program	Notes
10	length of the analysed time interval [as the number of channels]	L10P	divisible by 15, L10P \geq 5a, where: $a = \begin{cases} \frac{\tau_d}{\Delta t} + 1 & \text{if } M(\frac{\tau_d}{\Delta t}) = 0 \\ C(\frac{\tau_d}{\Delta t}) + 2 & \text{if } M(\frac{\tau_d}{\Delta t}) > 0 \end{cases} \quad **) \quad b)$
-----			ad No 8, 9, 10 : (NRK \emptyset - 1) + L10P + LSOP * MSOP \leq LBW
11	$\frac{1}{10}$ of the total number of runs of analyser	SS	
about 15 spaces after the last set			

Table 2 (continued).

No	Variable	Symbol in the program	Notes
III	IKD sets of numbers of counts from time analyser	BN	
	about 15 spaces after the last set		
<p>*) In the AC-256 time analyser the delay of the first group of channels from the start pulse is fixed by the following way: the number k ($k = 0, 1, 2, \dots, 8$), which is mentioned in the point No 6, is chosen using the switch; the delay time t_d is enumerated $t_d = k \cdot 128 \cdot \Delta t$ (128 is the number of channels in the first group). It is easy to change this part of the program in order to adapt it to other time analyser.</p> <p>**) $C(x)$ - max. integer contained in x (of Eq.3); $M(x) = x - C(x)$.</p> <p>a) The condition for $NRK\emptyset$ can be written as $NRK\emptyset > r_1$ - using the symbols introduced in Eqs. (10,3).</p> <p>b) The quantity a can be defined as $a = r_1 + 1$.</p>			

Tab. 8. Typical first page of the LAM output data.

LP.	NR KANALU POZ.	NR KANALU KONC.	OPINIE	(MIKROSEK.)
9	1	140	130	146
14	6	142	134	142
14	8	144	138	142
14	10	144	138	142
14	12	144	138	142
14	14	144	138	142
14	16	144	138	142
14	18	144	138	142
14	20	144	138	142
14	22	144	138	142
14	24	144	138	142
14	26	144	138	142
14	28	144	138	142
14	30	144	138	142
14	32	144	138	142
14	34	144	138	142
14	36	144	138	142
14	38	144	138	142
14	40	144	138	142
14	42	144	138	142
14	44	144	138	142
14	46	144	138	142
14	48	144	138	142
14	50	144	138	142
14	52	144	138	142
14	54	144	138	142
14	56	144	138	142
14	58	144	138	142
14	60	144	138	142
14	62	144	138	142
14	64	144	138	142
14	66	144	138	142
14	68	144	138	142
14	70	144	138	142
14	72	144	138	142
14	74	144	138	142
14	76	144	138	142
14	78	144	138	142
14	80	144	138	142
14	82	144	138	142
14	84	144	138	142
14	86	144	138	142
14	88	144	138	142
14	90	144	138	142
14	92	144	138	142
14	94	144	138	142
14	96	144	138	142
14	98	144	138	142
14	100	144	138	142

SZEROKOSC KANALOW 2 MIKROSEK.
 OPON. IMP. START. 120
 OPON. ANALIZATORA 270
 ODCINER ANALIZY 270

3. Listing of the LAMA program

```

LIST(LP)
LIBRARY(SUBGRUPOPSKF7)
LIBRARY(SUBGRUPOFSCF)
PROGRAM(LAMA)
INPUT DETRO
OUTPUT2=IPO

```

```

MIXED SEGMENTS
COMPRESSION INTEGER AND LOGICAL
TRACE1
END

```

```

LAMA0001
LAMA0002
LAMA0003
LAMA0004
LAMA0005
LAMA0006
LAMA0008
LAMA0009
LAMA0010
LAMA0011

```

```

MASTER STACK
DIMENSION A(11),AL(2),BK(256),BNC(256),C(6),CL(2),CM(11),CX(2),
A
DEFS(5),DF25(5),DVM(256),DXS(2,5),DXS1(5),LAM(2,50),
R
LP(50),LPT(10),LSPD(50),LSR6(50),LUC(50),L1(50),L2F(50),
C
L2(50),L2C(50),MALEH(50),MALEFC(50),MALEFUC(50),
D
MALEFUC(50),MALEF1(50),MALEF2(50),MALEF3(50),MALEF2C(50),
F
MALEF3C(50),MALEFC(50),MPOZ(50),MVL1C(50),MVL2C(50),
E
MVL3C(50),MVL1HC(50),MVL2C(50),MVL3C(50),NRK(50),V50(5),
G
NRK(50),V(256),VTH(10),VLAM(2),VLAB(2),VRE(10),V50(5),
H
AA(50),BNC(6400),PQ(4)
DOUBLE PRECISION HC(52)
COMMON /CPM1/MPP,N/CPM2/NRK,MR1/CPM3/RN(256)
A
/CPM4/ZZ(256),LM(256)/CPM5/SS(5),DELT/CPM6/CX1,SS
B
/CPM7/NG1,LSOP1/(NRK,K,RR/CMN9/LUC(50)/CPM10/MP,NAU
EQUIVALENCE (D,P(1),HC(1)),(NRK,P(1),BK(1)),(NRK,K(1),V(1)),
A
EXTERNAL NADM
CALL FIRAP(NADM)

```

```

LAMA0100
LAMA0101
LAMA0102
LAMA0103
LAMA0104
LAMA0105
LAMA0106
LAMA0107
LAMA0108
LAMA0109
LAMA0110
LAMA0201
LAMA0202
LAMA0203
LAMA0351
LAMA0352
LAMA0401
LAMA0601

```

C 0.1. WCZYTYMANIE DANYCH

C 0.1.1. LICZNA KOMPLETOWI DANYCH "IKD"

```

CALL INADWAY(A,1,1)
LEO=A(1)

```

C 0.1.2. ZBIUR "AA" TABLIC DANYCH STERUJACYCH "A"

```

IAA=IKD*11
CALL INADWAY (AA,LAA,IAA)

```

```

LAMA0700
LAMA0710
LAMA0711
LAMA0712
LAMA0720
LAMA0721
LAMA0722

```

C 0.7.3. ZBIOR "BNN" TABLIC DANYCH Z ANALIZATORA "RM"

```

LBNM=0
DO 6 I=3, LAA, 11
  LBNM=LBNM+AA(I)
CALL IMARRAY (BNN,LRNM,LRNM)

```

- LAMA0730
- LAMA0731
- LAMA0732
- LAMA0733
- LAMA0734

C 0.8. POZATEK ORLICZEN DLA "LKD" KOMPLETOW DANYCH

```

LRNM=0
DO 1 JK=1, LKD
  MAD=0

```

- LAMA0800
- LAMA0801
- LAMA0802
- LAMA0803

C 0. ORLICZENIA DLA JEDNEGO KOMPLETU DANYCH

C 1.1. PRZYPORZADKOWANIE DANYCH ZE ZBIORU "AA", "BNN"

```

DO 7 I=1, 11
  II=(JK-1)*11
  A(II)=AA(II)
  NR1=A(1)
  LBN=A(2)
  DELT=AA(4)*1.E-6
  MDELTPA(2)
  MTOS=A(5)
  MTOA1=A(6)
  MRKO=A(7)
  MSOPE=A(8)
  LSOP=A(9)
  LYOP=A(10)
  SS=A(11)*10
  DO 8 I=1, LBN
    II=I+LBN*(II)
    QN(I)=BNN(II)
    LBNM=LBNM+LBN

```

- LAMA0900
- LAMA1008
- LAMA1099
- LAMA1100
- LAMA1101
- LAMA1102
- LAMA1103
- LAMA1104
- LAMA1105
- LAMA1106
- LAMA1107
- LAMA1108
- LAMA1109
- LAMA1110
- LAMA1111
- LAMA1112
- LAMA1113
- LAMA1114
- LAMA1115
- LAMA1116
- LAMA1117

C 1.2. DRUK ZAWARTOSCI ANALIZATORA

```

WRITE(2,511) NR, MDELTPA, MTOA1, MTOS
CALL PAWE (LBN, RN)

```

- LAMA1200
- LAMA1201
- LAMA1202

C 2. WIELKOSCI POMOCNICZE

```

MTAUN=8
TAUN=MTAUN*1.E-6
MR=MTAUN/MDELTPA

```

- LAMA2000
- LAMA2001
- LAMA2002
- LAMA2003

LAMA3005
 LAMA3006
 LAMA3007
 LAMA3008
 LAMA3009
 LAMA3011
 LAMA3012
 LAMA3013
 LAMA3014
 LAMA3015
 LAMA3000
 LAMA3001
 LAMA3002
 LAMA3003
 LAMA3100
 LAMA3105
 LAMA3106
 LAMA3107
 LAMA3108
 LAMA3109
 LAMA3111
 LAMA3112
 LAMA3113
 LAMA3114
 LAMA3115
 LAMA3200
 LAMA3201
 LAMA3202
 LAMA3203
 LAMA3204
 LAMA3205
 LAMA3206
 LAMA3207
 LAMA3208
 LAMA3209
 LAMA3210
 LAMA3211
 LAMA3212

```

112 K=MOD(MTAUM,MDFLT)
      PR=TAUM/DELT-MR
      IF(K) 111,111,112
      MR1=MR+2
      GO TO 113
113 MR1=MR+1
      IF(NRKO,LOA1+12R=MDFLT
      LTOPS=LTOP=MDFLT
      MSOPS=MSOP=MDFLT
      IF(LSOP,GT,49) LSOP=49
      LSOP1=LSOP+1
C 3. DANE POPRAZIONE BMC
DO 16 I=1,LRN
16 BMC(I)=0
  IF(MDELT,GT,MTAUM) GO TO 128
C 3.1. BMC DLA DELT.IE.TAUM
DO 11 I=MR1,LRN
DO 12 J=I-MR, I-1
  BK(I)=0
  BK(I)=BK(I)+RM(J)*X
  IF(K,GT,0) RK(I)=BK(I)+PR*BN(I-MR-1)
  BMC(I)=SS*ALOG(1.-BMC(I))/(SS-BK(I))
11 Z(I)=1/(SS-BK(I)-DN(I))
  MC(I)=BN(I)/(SS-BK(I))
  GO TO 129
C 3.2. BMC DLA DELT.GT.TAUM
C 3.2.1. USTALENIE MP, MQ
128 M=MTAUM
  MP=MDELT
  DO 114 J=2,MTAUM
  MR=MOD(MQ,J)
  MB=MOD(MP,J)
  IF(MA,EQ,0,AND,MR,ED,0) GO TO 117
  GO TO 116
  MB=MB/J
  MP=MP/J
  IF(MQ,EQ,1) GO TO 119
  GO TO 118
116 CONTINUE
  
```

C	3.2.2. PRZYGOTOWANIE PARAMETROW AKTUALNYCH DO F4DAIRSTOW	LAMA3213
119	MQ1=MP-(HQ+1) MP1=MP+1 MP3=(MP+3)*4 C(1)=1.E-16 C(2)=1.E-13 C(3)=1.62 C(4)=5. CS=500. CX(1)=1.01 CX(2)=1.01 DO 13 I=2,LBN DO 14 J=1,11	LAMA3214 LAMA3215 LAMA3216 LAMA3217 LAMA3218 LAMA3219 LAMA3220 LAMA3221 LAMA3222 LAMA3223 LAMA3224
14	CW(J)=0. V(I)=0. CW(1)=(LN(I)-SS)/(SS-RN(I-1)) CW(MQ1)=RN(I-1)/(SS-RN(I-1)) CW(MP1)=1.	LAMA3225 LAMA3226 LAMA3227 LAMA3228 LAMA3229 LAMA3230 LAMA3231 LAMA3232 LAMA3233
	CALL F4DAIRSTOW(MP,MP1,MP3,CW(1),MC(1),C,C5,CX,VRE(1),VIN(1),CL)	LAMA3234
	DO 15 J=1,MP IF(VRE(J),LE.0.,OR.VRE(J).GE.1.) GO TO 110 CW(J)=ABS(VIN(J)/VRE(J)) IF(CW(J).GE..001) GO TO 110 V(I)=VRE(J) CW(11)=A(OG(VRE(J))) BNC(I)=-SS*MP*CW(11)	LAMA3234 LAMA3235 LAMA3236 LAMA3237 LAMA3238 LAMA3239 LAMA3240
110	IF(J.EQ.MP.AND.BNC(I).EQ.0.) GO TO 120	LAMA3241
	GO TO 15	LAMA3242
120	WRITE(2,501) I	LAMA3243
501	FORMAT(/,1X,19HBRAK PIERWIASTKA V(,I3,1H))	LAMA3244
15	CONTINUE	LAMA3245
	DVH(I)=MP*(LN(I)-SS)+V(I)*MQ+(HQ-MP)*RN(I-1) WM(I)=1/(DVH(I)+V(I)*MP-MQ)	LAMA3246 LAMA3247
13	ZZ(I)=(1.-V(I)*MQ)/DVH(I)	LAMA3248
129	IF(NAD.EQ.1) GO TO 1	LAMA3249
	DO 2 MOP=1, LSOP1	LAMA3250
		LAMA3000
		LAMA3001
C	4. OBLICZENIA DLA JEDNEGO OPOZNIENIA	LAMA4000
	NRK=NRK+(MOP-1)*MSOP	LAMA4001
	IF((NRK+L100-1).GT.LBN) GO TO 2	LAMA4002
C	4.1. OBLICZENIA DLA ZEXP=C	LAMA4100
	MPP=5	LAMA4101
	N=L10P/MPP	LAMA4102

23	DXS(J,MQQ)=(DE1S(MQQ)+(-1.)*J*(E1*DE1S(MQQ)-2.*DF2S(MQQ))/ ASQPT(DE1)/2.	LAMA4147
22	CONTINUE IF(MDELT.GT.MTAUM) GO TO 122 CALL VAR\$QA(VSQ,RQ) GO TO 126	LAMA4148 LAMA4149 LAMA4150 LAMA4151
122	CALL VAR\$QB(NRK,MP,VSQ,RQ)	LAMA4152
126	DO 24 J=1,2 IF(CX(J).LE.0.) GO TO 24 DO 25 MQQ=1,MPP DXS1(MQQ)=DXS(J,MQQ) CX1=CX(J) VLAMC(J)=VARLAM(RQ,VSQ,DXS1)	LAMA4153 LAMA4154 LAMA4155 LAMA4156 LAMA4157 LAMA4158
24	CONTINUE MVL1C(MQP)=IFIX(VLAMC(1)+.5) MVL2C(MQP)=IFIX(VLAMC(2)+.5)	LAMA4159 LAMA4160 LAMA4161 LAMA4162
C	4.2. OBLICZENIA DLA 1FXP+C	LAMA4200
123	MPP=3 N=L1QP/HpP	LAMA4201 LAMA4202
C	4.2.1. DZ POPRAWKI CALL SQQ(HM,S) CALL XLALF(CX1,CL1,AL) LUC(MQP)=IFIX(CL1+.5) MALFU(MQP)=IFIX(AL(1)+.5) MALFU0(MQP)=IFIX(AL(2)+.5)	LAMA4203 LAMA4204 LAMA4205 LAMA4206 LAMA4207 LAMA4208
C	4.2.2. 2 POPRAWKA CALL SQQ(RNC,S) CALL XLALF(CX1,CL1,AL) LUC(MQP)=IFIX(CL1+.5) MALFUC(MQP)=IFIX(AL(1)+.5) MALFU0C(MQP)=IFIX(AL(2)+.5)	LAMA4209 LAMA4210 LAMA4211 LAMA4212 LAMA4213 LAMA4214
C	4.2.2.1. ODCZYLENIA STANDARDOWE G1=S(1)-S(2) DXS1(1)=-CX1/G1 DXS1(2)=(S(1)-S(3))/G1**2 DXS1(3)=-1./G1 IF(MDELT.GT.MTAUM) GO TO 124 CALL VAR\$QA(VSQ,RQ) GO TO 127	LAMA4215 LAMA4216 LAMA4217 LAMA4218 LAMA4219 LAMA4220 LAMA4221 LAMA4222
124	CALL VAR\$QB(NRK,MP,VSQ,RQ)	LAMA4223
127	VLAM1C=VARLAM(RQ,VSQ,DXS1) MVL1C(MQP)=IFIX(VLAM1C+.5)	LAMA4224 LAMA4225
2	CONTINUE	LAMA4226

C 5. UPLAVZENIA LAMB SREDNICH

```

DO 26 MOP=1,LSOP1
  Z1(MOP)=1/MVLUC(MOP)*Z
  DO 27 MOP=1,LSOP1
    Z2(MOP)=Z1(MOP)*Z
    LSRG(MOP),LSRG(MOP)=0
    MGS(MOP)
    IF(MOP.LT.3) GO TO 130
    CALL LANSR(MG,LUCSR,MVLUCSR)
    LSRG(MOP)=LUCSR
    MVLUCSR(MOP)=MVLUCSR
  IF(MOP.GT.(LSOP1-2)) GO TO 27
  CALL LAMSR(MG,LSOP1,LUCSR,MVLUCSR)
  LSRG(MOP)=LUCSR
  MVLUCSR(MOP)=MVLUCSR
  CONTINUE

```

LAMA5000
 LAMA5002
 LAMA5003
 LAMA5004
 LAMA5005
 LAMA5006
 LAMA5007
 LAMA5008
 LAMA5009
 LAMA5010
 LAMA5011
 LAMA5012
 LAMA5013
 LAMA5014
 LAMA5016

C 6. DRUK WYNIKOW

```

DO 28 JJ=1,LSOP1
  LP(JJ)=NRKO+(JJ-1)*MSOP
  NRKX(JJ)=NRKP(JJ)+LTOP-1
  MPOZ(JJ)=MPOS+MTOA15+(NRKP(JJ)-1)*MDCLT
  DO 29 JJ=1,10
    MGS=(JJ-1)*5+1
    IF(MG.GT.,LSOP1) GO TO 132
    IF(MG.LE.2) GO TO 131
    IF((JJ*5).GE.,LSOP1) NN=10
    IF((JJ*5).GT.,LSOP1) NN=?*(LSOP1-(JJ-1)*5)
    WRITE(2,603)
    CALL DRUK(LP,0,0,0,12,12)
    WRITE(2,604)
    CALL DRUK(NRKX,0,0,0,12,12)
    WRITE(2,605)
    CALL DRUK(NRKX,0,0,0,12,12)
    WRITE(2,606)
    CALL DRUK(MOPU,0,0,0,12,12)
    WRITE(2,607)
    WRITE(2,608)
    WRITE(2,609)
    CALL DRUK(L,1,1,0,12,12)
    WRITE(2,610)
    WRITE(2,611)
    CALL DRUK(L1,1,1,0,11,11)
    WRITE(2,610)

```

LAMA6000
 LAMA6003
 LAMA6004
 LAMA6005
 LAMA6006
 LAMA6007
 LAMA6008
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LAMA6081
LAMA6082
LAMA6083
LAMA6084

WRITE(2,612)
CALL DUK(MALF2,1,0,0,L2,L2)
WRITE(2,613)
CALL DUK(MALF1,1,0,0,L1,L1)
WRITE(2,614)
CALL DUK(MALF0,0,0,1,L1,L2)
WRITE(2,615)
WRITE(2,616)
CALL DUK(LU,1,1,0,LU,LU)
WRITE(2,618)
CALL DUK(MALFU,1,0,0,LU,LU)
WRITE(2,614)
CALL DUK(MALFU0,0,0,1,LU,LU)
WRITE(2,602)
WRITE(2,619)
WRITE(2,608)
WRITE(2,609)
CALL DUK(L2,C,1,1,0,L2E,L2C)
WRITE(2,620)
CALL DUK(MVLT2C,TFD:0,L2C,L2C)
WRITE(2,611)
CALL DUK(L1,L1C,1,1,0,L1C,L1C)
CALL DUK(L2)
CALL DUK(MVL1C,1,0,0,L1C,L1C)
WRITE(2,612)
CALL DUK(L1,L1C,1,0,0,L1C,L1C)
WRITE(2,613)
CALL DUK(MALF2C,1,0,0,L2C,L2C)
WRITE(2,614)
CALL DUK(MALF1C,1,0,0,L1C,L1C)
WRITE(2,615)
CALL DUK(MALF0C,0,0,1,L1C,L2C)
WRITE(2,616)
WRITE(2,617)
CALL DUK(LUC,1,1,0,LUC,LUC)
WRITE(2,620)
CALL DUK(MV LUC,1,0,0,LUC,LUC)
WRITE(2,618)
CALL DUK(MALFUC,1,0,0,LUC,LUC)
WRITE(2,614)
CALL DUK(MALFUUC,0,0,1,LUC,LUC)
WRITE(2,615)
WRITE(2,621)
CALL DUK(LSOP1,M61)
CALL DUK(LSOP1,M61)
CALL DUK(LP,0,0,0,L2,L2)
WRITE(2,623)
CALL DUK(LSRD,1,0,0,LSRD,LSRD)

	WRITE(2,620)	LAMA6085
	CALL DRUK(MVLSRD,1,0,0,LSRD,LSRD)	LAMA6086
	WRITE(2,610)	LAMA6087
	WRITE(2,610)	LAMA6088
	WRITE(2,621)	LAMA6089
	CALL DRUKD0(LSOP1,MG1)	LAMA6090
	CALL DRUKLPT(LPT,NN,JJ,LSOP1)	LAMA6091
	WRITE(2,623)	LAMA6092
	CALL DRUK(LSRG,1,0,0,LSRG,LSRG)	LAMA6093
	WRITE(2,620)	LAMA6094
	CALL DRUK(MVLSRG,1,0,0,LSRG,LSRG)	LAMA6095
29	WRITE(2,610)	LAMA6096
	WRITE(2,602)	LAMA6097
C	4.1. WYKRES LAMBDA(1EXP+C) = F(OPOZNIENIE)	LAMA6100
132	WRITE(2,513) NR	LAMA6101
	WRITE(2,616)	LAMA6102
	CALL WYKRES(LUC,LSOP1,MOPOZ(1),MSOPS)	LAMA6103
511	FORMAT(1H1///1X,9HPOMIAR NR,15,45X,5HDN. ,13(1H.))//36X,6HAC-256	LAMA7001
	A,5(/),6X,12HDELTA T 1 =,13,10H MIKROSEK.,8X,6HOP.1 =,12/55X,6HOP.	LAMA7002
	BS =,14,10H MIKROSEK./6X,12HDELTA T 2 =,3X,10H MIKROSEK.,8X,6HOP.2	LAMA7003
	C =//)	LAMA7004
512	FORMAT(1H1///1X,9HPOMIAR NR,15//33X,15HDANE POPRAWIONE//)	LAMA7005
513	FORMAT(1H1//1X,9HPOMIAR NR,15//)	LAMA7005
601	FORMAT(1H1//41X,2H.,,7X,1H.,/1X,9HPOMIAR NR,15,12,17X,18HSZEROKOSC	LAMA7006
	K KANALOW,14,10H MIKROSEK./34X,18MOPOZN IMP START.,14,5X,1H"/	LAMA7007
	K34X,18MOPOZN. ANALIZATORA,14,5X,1H"/34X,16HODCINEK ANALIZY,16,	LAMA7008
	K5X,1H",4(/))	LAMA7009
602	FORMAT(1X,65(1H=))	LAMA7010
603	FORMAT(1X,3HLP.)	LAMA7011
604	FORMAT(1X/1X,15HNR KANALU POCZ.)	LAMA7012
605	FORMAT(13X,1H.,/4X,15HNR KANALU KONC.)	LAMA7013
606	FORMAT(3X,2H.,/1X,10HMOPOZNIENIE/5X,11HMIKROSEK.1)	LAMA7014
607	FORMAT(6X,1H.,/1X,18HWARTOSCI BEZ POPR.)	LAMA7015
608	FORMAT(1X,6H2EXP+C)	LAMA7016
609	FORMAT(2X,14HLAMBDA 2 [1/S])	LAMA7017
610	FORMAT(1X)	LAMA7018
611	FORMAT(1X/2X,14HLAMBDA 1 [1/S])	LAMA7019
612	FORMAT(1X//2X,14HAMPLITUDA 2)	LAMA7020
613	FORMAT(2X,11HAMPLITUDA 1)	LAMA7021
614	FORMAT(2X,3HTLO)	LAMA7022
615	FORMAT(1X/1X,65(1H-))	LAMA7023
616	FORMAT(1X,6H1EXP+C)	LAMA7024
617	FORMAT(2X,6HLAMBDA,3X,5H1/S)	LAMA7025
618	FORMAT(1X//2X,9HAMPLITUDA)	LAMA7026
619	FORMAT(6X,1H.,/1X,16HWARTOSCI Z POPR.)	LAMA7027
620	FORMAT(2X,14HODCH ST [1/S])	LAMA7028
621	FORMAT(1H+,8X,1H.,/2X,12H7 PUNKTOW NP)	LAMA7029

82

```

622 FORMAT(1H1,3(/))
623 FORMAT(8X,1H, /1X,15HLAMBDA SR.[1/S])
1 CONTINUE
STOP
END

```

```

LAMA7030
LAMA7031
LAMA9001
LAMA9002
LAMA9003

```

```

SUBROUTINE NADM(K)
COMMON /CMN10/ NR,NAD
WRITE(0,10) K, NR
NAD=N1
TO FORMAT(1X,27HWAGA - EXECUTION ERROR NR ,13,3X,8R(PONTAR ,14,1H))
RETURN
END

```

```

NADM 1
NADM 2
NADM 3
NADM 4
NADM 5
NADM 6
NADM 7

```

```

FUNCTION BLAMBDA (X,N,DELT)
BLAMBDA=-.ALOG(X)/(N*DELT)
RETURN
END

```

```

BLAMBDA1
BLAMBDA2
BLAMBDA3
BLAMBDA4

```

```

FUNCTION VARLAM (RQ,VSQ,DXS1)
C OBLICZANIE ODCHYLENIA STANDARDOWEGO LAMBDA
DIMENSION RQ(4),VSQ(5),DXS1(5)
COMMON /CMN1/MPP,N /CMN5/S(5),DELT /CMN6/CX1,SS
VLAM=0.
DO 81 MQQ=1,MPP
VLAM=VLAM+DXS1(MQQ)**2+VSQ(MQQ)
IF(MQQ.EQ.MPP) GO TO 81
VLAM=VLAM**2+DXS1(MQQ)*DXS1(MQQ+1)*RQ(MQQ)
81 CONTINUE
IF (VLAM.LT.0.) VLAM=0.
VARLAM=SS*SQRT(VLAM)/(N*DELT*CX1)
RETURN
END

```

```

VARLAM 1
VARLAM 2
VARLAM 3
VARLAM 4
VARLAM 5
VARLAM 6
VARLAM 7
VARLAM 8
VARLAM 9
VARLAM10
VARLAM11
VARLAM12
VARLAM13
VARLAM14

```

	SUBROUTINE SQQ (BN,S)	SQQ 1
C	THRZENIE SUM SQ	SQQ 2
	DIMENSION S(5),BN(256)	SQQ 3
	COMMON /CMN1/MPP,N /CMN2/NRK,MR1	SQQ 4
	DO 51 MQQ=1,MPP	SQQ 5
	S(MQQ)=0.	SQQ 6
	MG1=(MQQ-1)*N+NRK	SQQ 7
	MG2=MQQ*N-1+NRK	SQQ 8
	DO 52 I=MG1,MG2	SQQ 9
52	S(MQQ)=S(MQQ)+BN(I)	SQQ 10
51	CONTINUE	SQQ 11
	RETURN	SQQ 12
	END	SQQ 13

	SUBROUTINE XX(S,EM1,E1,EM2,E2,DE,CX)	XX 1
C	OBLICZANIE XJOT	XX 2
	DIMENSION S(5),CX(2)	XX 3
	EM1=S(1)*(S(3)-S(4))+S(2)*(S(3)+S(4)-S(2))-S(3)*S(3)	XX 4
	E1=(S(1)*(S(4)-S(5))+S(2)*(S(5)-S(3))+S(3)*(S(3)-S(4)))/EM1	XX 5
	EM2=(S(2)-S(1))	XX 6
	E2=(S(3)-S(4)+E1*(S(3)-S(2)))/EM2	XX 7
	DE=E1+E1-4.*E2	XX 8
	IF(DE.GE.0.)GO TO 156	XX 9
	CX(1),CX(2)=0.	XX 10
	RETURN	XX 11
156	DO 56 J=1,2	XX 12
56	CX(J)=-.5*(E1+(-1.)**J*SQRT(DE))	XX 13
	RETURN	XX 14
	END	XX 15

	SUBROUTINE LALF2 (CX,CL,AL,AL0)	LALF2- 1
C	OBLICZANIE LAMDAJOT, ALFAJOT, I ALFAO	LALF2 2
	DIMENSION CX(2),CL(2),AL(2),C(2)	LALF2 3
	COMMON /CMN1/MPP,N /CMN5/S(5),DELT	LALF2 4
	AL0=0.	LALF2 5
	DO 61 J=1,2	LALF2 6
	CL(J),AL(J)=0.	LALF2 7
	IF(CX(J).LE.0.) GO TO 61	LALF2 8
	CL(J)=BLAMBDA(CX(J),N,DELT)	LALF2 9
	J1=J+(-1)**(J+1)	LALF2 10
	AL(J)=((S(2)-S(1))*(1.+CX(J1))-S(3)+S(1))*(1.-CX(J))+((1./N))/	LALF2 11
	K((1.-CX(J))*+2*(CX(J)-CX(J1)))	LALF2 12
61	CONTINUE	LALF2 13
	IF(CX(1).GT.0..AND.CX(2).GT.0.) GO TO 161	LALF2 14
	RETURN	LALF2 15
161	DO 62 J=1,2	LALF2 16
62	C(J)=AL(J)*((1.-CX(J))/(1.-CX(J))+((1./N))	LALF2 17
	AL0=(S(1)-C(1)-C(2))/N	LALF2 18
	RETURN	LALF2 19
	END	LALF2 20

	SUBROUTINE XLALF (CX1,CL1,AL)	XLALF 1
C	OBLICZANIE X, LAMBDA, ALFA, ALFAO	XLALF 2
	DIMENSION AL(2)	XLALF 3
	COMMON /CMN1/MPP,N /CMN5/S(5),DELT	XLALF 4
	CL1=0.	XLALF 5
	CX1=(S(2)-S(3))/(S(1)+S(2))	XLALF 6
	IF(CX1.GT.0.) GO TO 166	XLALF 7
	WRITE(2,551)	XLALF 8
551	FORMAT(1X//17HBRAK X DLA 1EXP+C)	XLALF 9
	RETURN	XLALF 10
166	CL1=BLAMBDA(CX1,N,DELT)	XLALF 11
	A1=S(1)+2.*S(2)+S(3)	XLALF 12
	AL(1)=(S(1)-S(2))*+3*(1.-CX1)+((1./N))/A1**2	XLALF 13
	AL(2)=(S(1)+S(3)-S(2))*+2)/(N*A1)	XLALF 14
	RETURN	XLALF 15
	END	XLALF 16

	SUBROUTINE COND (I,IK,FF)	COND 1
C	USTALANIE WARTOSCI ELEHENTOW TABLIC POMOCNICZYCH DLA "VARSA"	COND 2
	DIMENSION W(256)	COND 3
	COMMON/CMN2/WRK,MR1 /CMN4/ZZ(256),WW(256) /CMN8/K,RR	COND 4
	IF(I.NE.IK) GO TO 171	COND 5
	W(I)=ZZ(I)	COND 6
	GO TO 172	COND 7
171	W(I)=ZZ(I)*WW(I)	COND 8
172	IF(I.EQ.(IK+(MR1-1)).AND.K.NE.0) W(I)=W(I)+RR	COND 9
	FF=FF+W(I)	COND 10
	RETURN	COND 11
	END	COND 12
	SUBROUTINE VARSA (VSQ,RQ)	VARSA 1
C	OBLICZANIE WARIANCJI I KOWARIANCJI SUM SQ (DELT.LE,TAUM)	VARSA 2
	DIMENSION VSQ(5), RQ(4)	VARSA 3
	COMMON /CMN1/MPP,N/CMN2/WRK,MR1/CMN3/BN(256)	VARSA 4
	DO 71 MQQ=1,MPP	VARSA 5
	VSQ(MQQ)=0	VARSA 6
	MG1=(MQQ-1)*N-(MR1-1)+NRK	VARSA 7
	MG2=MQQ*N-1+NRK	VARSA 8
	DO 72 IK=MG1,MG2	VARSA 9
	F=0	VARSA 10
	IK2=IK+(MR1-1)	VARSA 11
	DO 73 I = IK,IK2	VARSA 12
	IF(I.LT.(MG1+(MR1-1)).OR.I.GT.MG2) GO TO 73	VARSA 13
	CALL COND (I,IK,F)	VARSA 14
73	CONTINUE	VARSA 15
72	VSQ(MQQ)=VSQ(MQQ)+F**2+BN(IK)	VARSA 16
	IF(MQQ.EQ.MPP) GO TO 71	VARSA 17
	RQ(MQQ)=0	VARSA 18
	MG1=MG1+N	VARSA 19
	DO 74 IK=MG1,MG2	VARSA 20
	F=0	VARSA 21
	DO 75 I=IK,MG2	VARSA 22
	CALL COND (I,IK,F)	VARSA 23
75	CONTINUE	VARSA 24
	FF=0	VARSA 25
	MG10=MG1+(MR1-1)	VARSA 26
	MG20=IK+(MR1-1)	VARSA 27
	DO 76 I=MG10,MG20	VARSA 28
	CALL COND (I,IK,FF)	VARSA 29
76	CONTINUE	VARSA 30
74	RQ(MQQ)=RQ(MQQ) +F*FF+BN(IK)	VARSA 31
71	CONTINUE	VARSA 32
	RETURN	VARSA 33
	END	VARSA 34

	SUBROUTINE VARSQB (NRK,MP,VSQ,RQ)	VARSQB 1
C	OBLICZANIE WARIANCJI I KOWARIANCJI SUM SQ (DELT.GT.TAUM)	VARSQB 2
	DIMENSION W(256),Z(257),VSQ(5),RQ(4)	VARSQB 3
	COMMON /CMN1/MPP,N /CMN4/ZZ(256),WW(256) /CMN3/BN(256)	VARSQB 4
	DO 86 MQQ=1,MPP	VARSQB 5
	VSQ(MQQ)=0	VARSQB 6
	MG1=(MQQ-1)*N-1+NRK	VARSQB 7
	MG2=MQQ*N-1+NRK	VARSQB 8
	DO 87 IK=MG1,MG2	VARSQB 9
	W(IK),Z(IK+1)=0	VARSQB 10
	IF(IK.NE.MG1) W(IK)=WW(IK)	VARSQB 11
	IF(IK.NE.MG2) Z(IK+1)=ZZ(IK+1)	VARSQB 12
87	VSQ(MQQ)=VSQ(MQQ)+(W(IK)+Z(IK+1))*2*BN(IK)	VARSQB 13
	VSQ(MQQ)=MP**2*VSQ(MQQ)	VARSQB 14
	IF(MQQ.EQ.MPP) GO TO 86	VARSQB 15
86	RQ(MQQ)=MP**2*W(MG2)*ZZ(MG2+1)*BN(MG2)	VARSQB 16
	CONTINUE	VARSQB 17
	RETURN	VARSQB 18
	END	VARSQB 19

	SUBROUTINE LAMSR (MG1,MG2,LUCSR,MVLUCSR)	LAMSR 1
C	OBLICZANIE LAMBDA SREDNIEJ Z ODCHYLENIEM STANDARDOWYM	LAMSR 2
	COMMON /CMN4/ZZ(256),WW(256) /CMN9/LUC(50)	LAMSR 3
	W,WL=0	LAMSR 4
	DO 91 I=MG1,MG2	LAMSR 5
	W=W+ZZ(I)	LAMSR 6
91	WL=WL+ZZ(I)*LUC(I)	LAMSR 7
	WL=WL/W	LAMSR 8
	LUCSR=FIX(WL+.5)	LAMSR 9
	WL,SW=0	LAMSR 10
	DO 92 I=MG1,MG2	LAMSR 11
	WL=WL+ZZ(I)*(LUC(I)-LUCSR)**2	LAMSR 12
92	SW=SW+W(I)	LAMSR 13
	WL=SWRT(W/(W**2-SW)*WL)	LAMSR 14
	MVLUCSR=FIX(WL+.5)	LAMSR 15
	RETURN	LAMSR 16
	END	LAMSR 17


```

SUBROUTINE DRUKDO(LSOP1,MG1)
  KK=LSOP1+1-MG1
  IF(KK.GT.5) KK=5
  GO TO (781,782,783,784,785),KK
  WRITE(2,681)
  RETURN(2,682)
  WRITE(2,683)
  RETURN(2,683)
  WRITE(2,684)
  RETURN(2,684)
  WRITE(2,685)
  FORMAT(1H+,21X,2(1H-,9X))
  FORMAT(1H+,21X,3(1H-,9X))
  FORMAT(1H+,21X,4(1H-,9X))
  RETURN
  END

```

781
782
783
784
785
681
682
683
685

DRUKD0 1
DRUKD0 2
DRUKD0 3
DRUKD0 4
DRUKD0 5
DRUKD0 6
DRUKD0 7
DRUKD0 8
DRUKD0 9
DRUKD010
DRUKD011
DRUKD012
DRUKD013
DRUKD014
DRUKD015
DRUKD016
DRUKD017
DRUKD018
DRUKD019
DRUKD020

```

SUBROUTINE DRUK1(LSOP1,MG1)
  KK=LSOP1+1-MG1
  IF(KK.GT.5) KK=5
  GO TO (791,792,793,794,795),KK
  WRITE(2,691)
  RETURN(2,692)
  WRITE(2,693)
  RETURN(2,693)
  WRITE(2,694)
  RETURN(2,694)
  WRITE(2,695)
  FORMAT(1H+,19X,2(1H1,9X))
  FORMAT(1H+,19X,3(1H1,9X))
  FORMAT(1H+,19X,4(1H1,9X))
  RETURN
  END

```

791
792
793
794
795
691
692
693
695

DRUK1 1
DRUK1 2
DRUK1 3
DRUK1 4
DRUK1 5
DRUK1 6
DRUK1 7
DRUK1 8
DRUK1 9
DRUK1 10
DRUK1 11
DRUK1 12
DRUK1 13
DRUK1 14
DRUK1 15
DRUK1 16
DRUK1 17
DRUK1 18
DRUK1 19
DRUK1 20

```

SUBROUTINE DANE(LB,B)
C   DRUK TABLICZY DANYCH
DIMENSION MB(256),B(LB)
DO 98 I=1,LB
98  MB(I)=IFIX(B(I))
696  WRITE(2,696) (MB(I),I=1,LB)
      FORMAT(1X/1X,10(/1018))
RETURN
END

```

```

DANE  1
DANE  2
DANE  3
DANE  4
DANE  5
DANE  6
DANE  7
DANE  8
DANE  9

```

```

SUBROUTINE WYKRES(L,LL,KX0,KDX)
DIMENSION A(6),L(LL),B(57),KX(6)
DATA A/1H+,1H1,1H+,1H-,1H,1H>/
MAXL=L(1)
DO 60 I=2,LL
60  MAXL=MAX0(MAXL,L(I))
N=50
IF(MAXL.GT.20000) N=100
IF(MAXL.GT.40000) N=200
R=N
NN=5*N
DO 51 I=1,LL
51  L(I)=(L(I)/N + IFIX(MOD(L(I), N) / R + .5)) * N
      MINY,MAXY=L(1)
DO 58 I=2,LL
58  MINY=MIN0(L(I),MINY)
      MAXY=MAX0(L(I),MAXY)
151  M=MOD(MAXY,NN)
      IF(M.EQ.0) GO TO 152
      MAXY=MAXY+N
GO TO 151
152  MY=MAXY

```

```

WYKRES 1
WYKRES 2
WYKRES 3
WYKRES 4
WYKRES 5
WYKRES 6
WYKRES 7
WYKRES 8
WYKRES 9
WYKRES 10
WYKRES 11
WYKRES 14
WYKRES 15
WYKRES 16
WYKRES 17
WYKRES 18
WYKRES 19
WYKRES 21
WYKRES 22
WYKRES 23
WYKRES 24
WYKRES 25

```


APPENDIX

Formulae for calculation of the derivatives $\frac{\partial N_i^C}{\partial N_k}$

The derivatives $\frac{\partial N_i^C}{\partial N_k}$ are calculated at the point determined by the set of the N_k values appeared in the equation for a given N_i^C value (cf Eqs. (1,4)). The corrected number of counts N_i^C in the i -th channel of the time analyser is the function of the set of the uncorrected counts N_k ($k = i, i-1, i-2, \text{etc.}$) - depending upon the value of the ratio $\frac{\tau_d}{\Delta t}$.

I. The ratio $\frac{\tau_d}{\Delta t} \geq 1$.

In this case the value of the corrected number of counts N_i^C is calculated from Eq. (1). Starting from Eq. (1) and taking into account Eq. (2) one can obtain the derivatives:

1) for $k > i$.

$$\frac{\partial N_i^C}{\partial N_k} = 0 \quad , \quad (A1)$$

2) for $k = i$

$$\frac{\partial N_i^C}{\partial N_i} = \frac{S}{S - K_i - N_i} \quad , \quad (A2)$$

where K_i is defined in Eq. (2),

3) for $i-2 \leq k \leq i-1$

$$\frac{\partial N_i^C}{\partial N_k} = \frac{S}{S - K_i - N_i} \frac{N_k}{S - K_i} \quad , \quad (A3)$$

4) for $k = i-r-1$

$$\frac{\partial N_1^C}{\partial N_{i-r-1}} = \frac{S}{S - K_1 - N_1} \left(\frac{V_0}{\Delta t} - r \right) \frac{N_1}{S - K_1} \quad (A4)$$

(i.e. $\frac{\partial N_1^C}{\partial N_{i-r-1}} = 0$ for the ratio $\frac{V_0}{\Delta t}$ being integer),

5) for $k < i-r-1$

$$\frac{\partial N_1^C}{\partial N_k} = 0 \quad (A5)$$

II. The ratio $\frac{V_0}{\Delta t} < 1$.

In this case the corrected number of counts N_1^C is given by Eq.(4) and the derivative $\frac{\partial N_1^C}{\partial N_k}$ has the form:

$$\frac{\partial N_1^C}{\partial N_k} = - S p_r \frac{1}{V_{01}} \frac{\partial V_{01}}{\partial N_k} \quad (A6)$$

The determining of $\frac{\partial V_{01}}{\partial N_k}$ from Eq.(5) yields:

$$\frac{1}{V_{01}} \frac{\partial V_{01}}{\partial N_1} = \frac{1}{N_1 V_{01}^{p_r - q_r}} \quad (A7)$$

$$\frac{1}{V_{01}} \frac{\partial V_{01}}{\partial N_{1-1}} = \frac{1 - V_{01} \frac{q_T}{P_T}}{M_1} \quad (A8)$$

where

$$M_1 = - [P_T (S - N_{1-1}) V_{01}^q + (P_T - q_T) N_{1-1}] \quad (A9)$$

and the other derivatives $\frac{\partial V_{01}}{\partial N_k}$ are equal to zero. Thus, Eq. (5) gives the two following formulae:

$$\frac{\partial N_1^q}{\partial N_1} = - S P_T \frac{1}{M_1 V_{01} \frac{P_T - q_T}{P_T}} \quad (A10)$$

$$\frac{\partial N_1^q}{\partial N_{1-1}} = - S P_T \frac{1 - V_{01} \frac{q_T}{P_T}}{M_1} \quad (A11)$$

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