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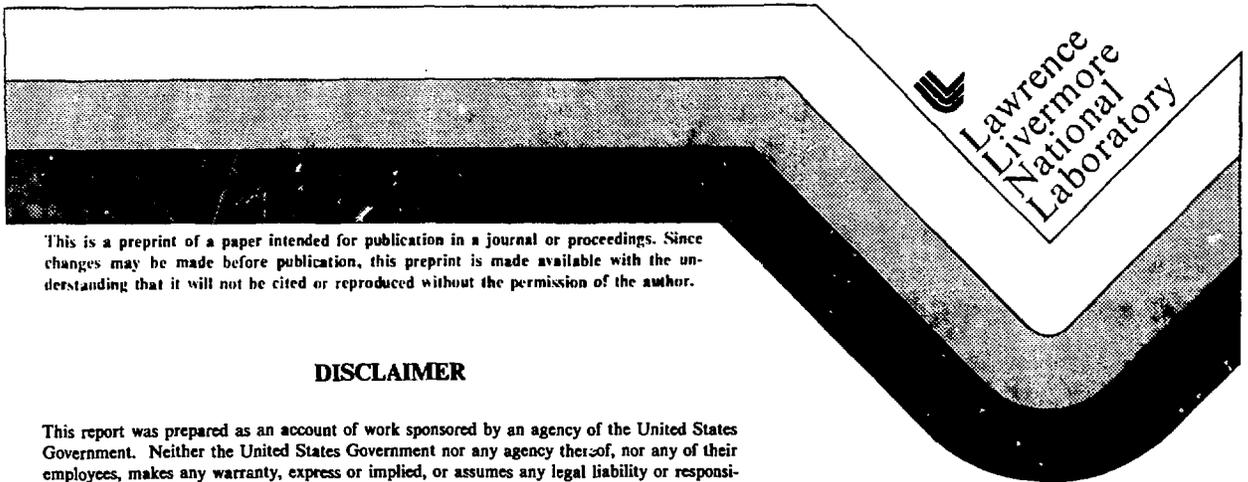
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"Nova Performance at Ultra High Fluence Levels"

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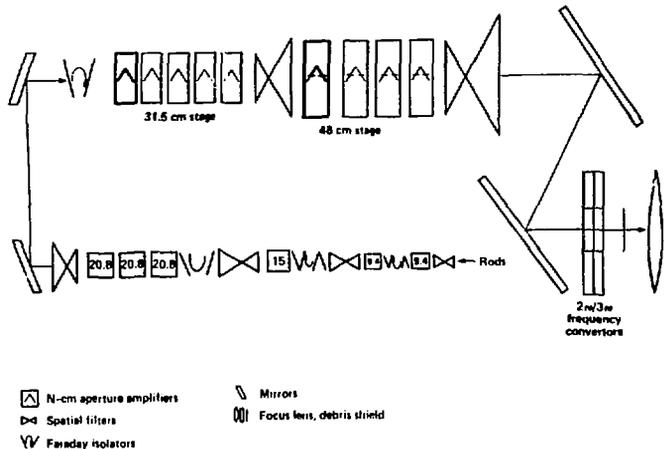


Figure 1. Optical staging of a NOVA beamline.

### Nonlinear Optical Processes

At ultra high power densities (and fluences) several nonlinear optical processes are capable of limiting system performance. The processes encountered during Nova testing were

1. An intensity dependent rotation of the beam's electric field,<sup>1,2</sup>
2. Low spatial frequency "beam breakup",<sup>2</sup>
3. Temporal pulse distortion via gain saturation,<sup>3</sup>
4. Stimulated (rotational) Raman scattering,<sup>4</sup> and
5. Beam-induced damage to the optical components of the system.<sup>5</sup>

Although these nonlinear optical phenomena have been known for a long time, "engineering around" all of them simultaneously was and continues to be a challenge on a system the size of Nova.

The study of the interplay between these interesting but undesirable nonlinear effects and the desired nonlinear frequency conversion process<sup>6</sup> has been fascinating. Frequency conversion experiments conducted with a Nova beamline showed that the first three phenomena on this list conspired to produce anomalous frequency conversion results (see Fig. 2). These three phenomena will be the object of our attention in the remainder of this paper. Early testing showed that

- The peak efficiency was less than expected,
- The peak efficiency occurred at much lower intensities than expected, and
- The efficiency "rolls over" at low intensity, i.e., after reaching a maximum, the efficiency decreases with increasing drive.

The Type II frequency tripling conversion scheme employed on Nova was originated by Craxton et al.<sup>7</sup> at Rochester, and although it is relatively insensitive to the intensity and phase fluctuations of the drive beam, it is extremely sensitive to the beam's polarization field.<sup>8</sup> Thus, one would guess that the nonlinear optical process that contributes most to the anomalous frequency conversion behavior is item #1 (above) with the second and third items contributing in a less direct way. The last two items on the list are treated elsewhere and will not be discussed further here.

Our experiments showed conclusively that the major source of the anomalous frequency conversion behavior is the nonuniform and the intensity-dependent rotation of the polarization of the drive beam. In particular, high conversion efficiencies can be attained only if the amplitudes of the projection of the

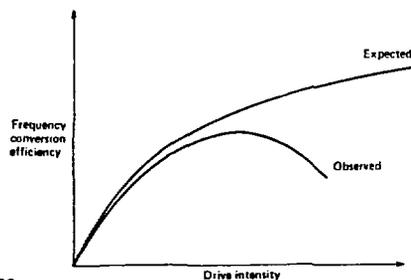


Figure 2. Comparison of expected and observed frequency conversion of a NOVA beamline.

drive beams electric field vector onto the axis of the converter crystal is in exactly the correct ratio. To understand why this is so, assume perfect phase matching. Then the equations that govern the frequency doubling process are:

$$\frac{dE_{\omega}^e}{dz} \sim - E_{\omega}^o E_{2\omega}^e \quad (1)$$

$$\frac{dE_{\omega}^o}{dz} \sim - E_{\omega}^o E_{2\omega}^e \quad (2)$$

$$\frac{dE_{2\omega}^e}{dz} \sim + E_{\omega}^o E_{\omega}^e \quad (3)$$

where  $E_{\omega}^e$  and  $E_{\omega}^o$  are respectively the projections of the drive beam's electric field onto the extraordinary and ordinary axis of the crystals. For optimum doubling,  $E_{\omega}^o = E_{\omega}^e$ , i.e., a mix ratio of 1. Therefore, proper orientation of the electric field is  $45^\circ$  to the "o" axis. Similarly, optimum tripling is achieved with a mix ratio of 2. Therefore, the  $\omega$  incident field should be linearly polarized at an angle

$$\theta_o = \tan^{-1} \sqrt{1/2} = 35.2^\circ \quad (4)$$

The doubling polarization condition means physically that it takes a  $\omega^e$  photon and a  $\omega^o$  photon to create a  $2\omega^e$  photon. Similarly, for tripling, the condition states that it takes two  $\omega^o$  photons and a  $\omega^e$  photon to ultimately generate a  $3\omega^e$  photon.

Returning to the three basic equations, we observe that if both components of the drive field go to zero simultaneously, the derivative of all three fields is zero. Thus, at this point, all of the energy is in the second harmonic wave and remains there; i.e., this is a stable solution to the equations. However, if the value of either the "o" or "e" component of the fundamental beam goes to zero (prematurely) and the other does not, then for  $2\omega$

$$\frac{dE_{2\omega}}{dz} = 0 \quad (5)$$

$$\frac{d^2 E_{2\omega}}{dz^2} \neq 0 \quad (6)$$

Thus, at this  $z$  position in the crystal, the electric field of the second harmonic wave has reached its maximum prematurely. Past this point, the amplitude of the second harmonic wave decreases, i.e., a back conversion process starts.

Careful examination of the equations leads one to the conclusion that if one of the drive fields goes to zero prematurely, then the initial values of the fields were not optimum. Thus, the source of the back conversion process (for perfect phase matching) is an incorrect initial value of the  $\omega^o$  and  $\omega^e$  fields.

Hence, the preceding discussion shows that the anomalous frequency conversion behavior can be explained solely on the basis of polarization mismatch. Furthermore, it is easily shown that a small fraction of energy in the wrong polarization can poison the Type II frequency conversion process. For instance, if the polarization field is oriented  $10^\circ$  from the optimum orientation for doubling, i.e., approximately 4% of the drive beam's energy is in the S (wrong) polarization field, the mix ratio will be 2:1 instead of the optimum 1:1. Hence, only two out of three photons in the incident beam are available for the conversion process. This means that the maximum achievable doubling efficiency is 67% and will be achieved at some finite intensity  $I_o$ . For beam intensities larger than  $I_o$ , the back conversion process starts and the conversion efficiency decreases with increasing drive.

The situation on Nova is more complicated than one would surmise from the discussion so far. Since the beam was linearly polarized in our example, the proper mix ratio could be achieved by merely rotating the crystal. This "fix" will not work on Nova because Nova's beam is not uniformly polarized, nor is the polarization linear. At most points in the aperture the beam is elliptically polarized. Experiments have shown that the source of the elliptical stress polarization field is stress induced birefringence in the

amplifier disks and the lenses of the vacuum spatial filters. Furthermore, the orientation and eccentricity of the ellipse are position dependent. Thus, rotating the crystal would improve the conversion efficiency of part of the beam, while making other portions of the beam convert with a lower efficiency. Furthermore, Item #1 on the nonlinear optical processes list implies the orientation of the ellipse is power dependent. The power dependence is a result of the intensity dependent index of refraction. To see how the rotation comes about we write the electric field as the sum of left and right handed circularly polarized beam.

$$\underline{E} = \underline{E}_+ + \underline{E}_- \tag{7}$$

where

$$E_{\pm} = A_{\pm} \exp(ik_{\pm}z) \tag{8}$$

and  $A_{\pm}$  denotes the amplitude of the right/left component of circular polarization. If we denote

$$\theta_{\pm} = 1/2(k_+ \pm k_-)z \tag{9}$$

then the electric field can be written as

$$\underline{E} = e^{i\theta_+} \left[ \left\{ A_+ e^{i\theta_-} + A_- e^{-i\theta_-} \right\}_x - i \left\{ A_+ e^{i\theta_-} - A_- e^{-i\theta_-} \right\}_y \right] \tag{10}$$

Rearranging terms, we obtain

$$e^{i\theta_+} \underline{E} = \begin{bmatrix} (A_+ + A_-)\cos\theta_- + i(A_+ - A_-)\sin\theta_- \\ - (A_+ + A_-)\sin\theta_- + i(A_+ - A_-)\cos\theta_- \end{bmatrix} \begin{matrix} x \\ y \end{matrix} \tag{11}$$

or

$$E = \begin{bmatrix} \cos\theta_- & \sin\theta_- \\ -\sin\theta_- & \cos\theta_- \end{bmatrix} \begin{bmatrix} E_x \\ E_y \end{bmatrix} \tag{12}$$

(thus, the polarization vector has rotated through the angle  $\theta_-$ .)

Denoting the intensity dependent portion of the index of refraction by  $n_2$

$$k_+z = \frac{2\pi}{\lambda} \frac{n_2}{n_0} \int A_+^2 dz \tag{13}$$

$$k_-z = \frac{2\pi}{\lambda} \frac{n_2}{n_0} \int A_-^2 dz \tag{14}$$

Thus

$$\theta_- \sim B_+ - B_- \tag{15}$$

where

$$B_{\pm} = k_{\pm} z \tag{16}$$

After some manipulation one can show that<sup>9</sup>

$$\theta = 1/3 Bc \tag{17}$$

where

$$\epsilon = (A_+ - A_-)/(A_+ + A_-) \quad (\text{eccentricity of the ellipse}) \quad (18)$$

and B is the nonlinear phase retardation in radians accumulated by the beam in traversing the optical components of the system.

$$B = \int \frac{n_2}{n_0} I dz \quad (19)$$

Experiments conducted with Nova showed that the eccentricity of the polarization ellipse (for a small portion of the beam) was ~0.2 and that the ellipse rotates roughly  $10^\circ$  for a drive of  $2 \text{ GW/cm}^2$ . Earlier it was pointed out that this amount of field rotation can significantly alter the shape of the frequency conversion efficiency curves.

Further experimentation confirmed that the beam's depolarization is the source of the anomalously low frequency efficiency. Figure 3 compares the tripling efficiency obtained using a portion of one of Nova's beams with and without a polarizer. Note the marked improvement in efficiency obtained by repolarizing the beam.

The anomalous frequency conversion behavior of the Nova beams can be corrected in several ways. For instance, the beams can be repolarized by placing a 74 cm aperture polarizer between the system's final spatial filters and the frequency converters. Preliminary tests have shown that this scheme will produce tripling efficiencies approaching 70% (see Fig. 3). Since only a few per cent of the drive beam's energy is in the wrong polarization, the addition of the polarizer reduces the one micron drive to the frequency converters by only an insignificant amount. A second method for increasing the conversion efficiency is to use a type I - type II tripling arrangement.<sup>10</sup> This tripling scheme is less sensitive to polarization and although the energy in the wrong polarization is lost to the conversion process, it does not poison it. The decision as to which scheme will be deployed on Nova will be made in the next few months.

Item #2 on the nonlinear optical processes list is low frequency beam breakup. Beam breakup is the growth of beam modulation in the form of small amplitude ripples on a high intensity background beam. The source of this growth is again the intensity dependent index of refraction,  $n_2$ , of the optical components. However, ripples of different spatial frequencies grow at different rates. The fastest growing spatial frequency and its gain are governed by the parameter  $B$ .<sup>11</sup> Analysis shows that the first peak in the gain spectrum has a value

$$G_{\text{MAX}} = e^{2B} \quad (20)$$

and occurs at

$$\theta_{\text{MAX}} = \frac{B}{N} \quad (21)$$

where

N is the number of disks

B is the B integral accumulated by the beam while traversing the N disks of the amplification stage

and

$\theta$  is the familiar Fresnel diffraction parameter

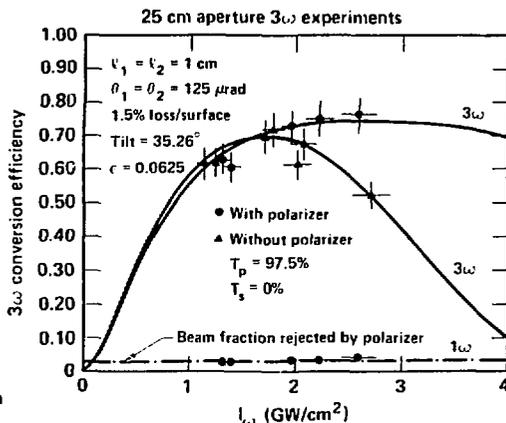


Figure 3. Frequency tripling efficiency using a 25 cm portion of a NOVA beam.

$$\theta = \frac{k^2 L_V}{2k} \quad (22)$$

where

K is the wave number of the perturbation

and

$L_V$  is the interdisk spacing

with

$$L_V = n_0 D$$

(23)

and

$n_0$  is the index of refraction of the laser disk

and

D is the dimension of the disk aperture.

Thus, the beam's modulation can increase significantly if the beam breakup is not carefully controlled. Large amplitude modulation not only increases the rotation of the polarization field discussed earlier but also imposes a severe damage threat to the optical components of the system.

An example of large gain over a narrow band of  $\theta$ 's is shown in Fig. 4. In this example a ten disk amplifier stage with a gain of one and a B of two was used. Substituting Eqns. (22) and (23) into (21) and solving for Fig. 4 the wavenumber  $K_{MAX}$  one finds that

$$K_{MAX} = \left( \frac{2kB}{N n_0 D} \right)^{1/2} \quad (24)$$

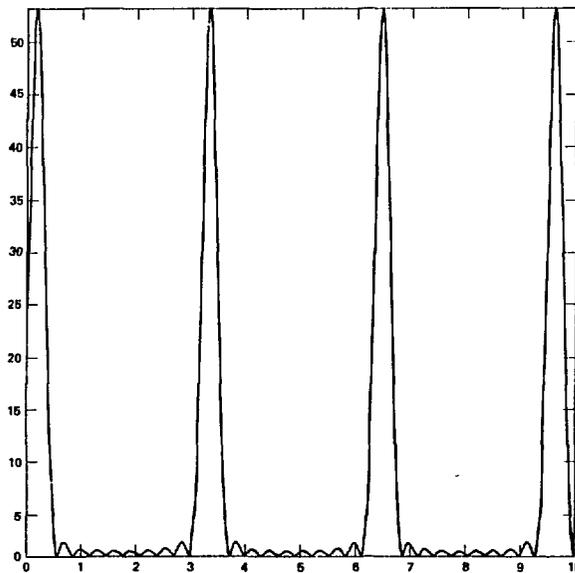


Figure 4. Beam breakup power gain,  $G_0$ , as a function of the  
Fresnel parameter  $\theta = \frac{k^2 L_V}{2k}$ .

The important point to note in Eqn. (24) is the inverse scaling of the wave number with the number of disks and the aperture dimension. Because of this scaling, this mode could ultimately limit the performance of a large aperture system when it is operated in the high energy high power regime. A low pass filter will not be effective in controlling its growth because its frequency is so low. Although this type of beam breakup was not seen on Nova when a beam was operated at 8 TW in a nanosecond, the beginning of beam breakup was observed on 10 TW shots.

Item #3 on the Nonlinear Optical Processes list is temporal pulse distortion. Significant extraction of energy from a high gain amplifier always produces changes in pulse shape. A square output pulse requires a monotonically increasing pulse in all amplifier stages. It is convenient to define the square pulse distortion (SPD) of the system as the ratio of the maximum to the minimum intensity of the pulse in the system when the input is set to give a flat or square shaped output pulse.

The SPD for a Nova chain has been calculated as a function of output energy and is shown in Fig. 5. This curve is also the pulse shape that must be injected into a chain to produce a square output pulse. The contrast ratio between the leading and trailing edge of the pulse means that late parts of the pulse accumulate a larger B integral than earlier ones. It also means that for a fixed output power, beam breakup and intensity dependent polarization rotation will get worse for longer pulse lengths. Finally, because the slope of the SPD is getting very large for beam energies exceeding 18 kJ it will be impractical to operate the Nova system much above this level while at the same time producing a well controlled temporal pulse.

#### Summary

Several nonlinear optical processes can be observed when the Nova system is operated in the high energy high power regime. However, we are confident that energies in the 50 to 100 kJ range will be available for target experiments in the near future. In the meantime, the system will be operated at one-half power. This power level is sufficient to conduct most planned ICF experiments.

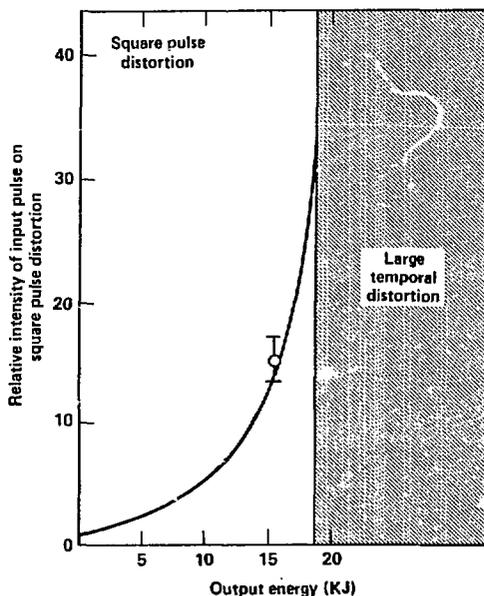


Figure 5. Square pulse distortion of a NOVA beam as a function of output energy.

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